



The  
University  
Of  
Sheffield.



# Uncertainty analysis frameworks linked to asset management decisions in integrated catchment modelling

Ambuj Sriwastava

Supervisors

**Dr. Alma Schellart, Prof. Simon Tait**

**& Dr. James Shucksmith**

University of Sheffield

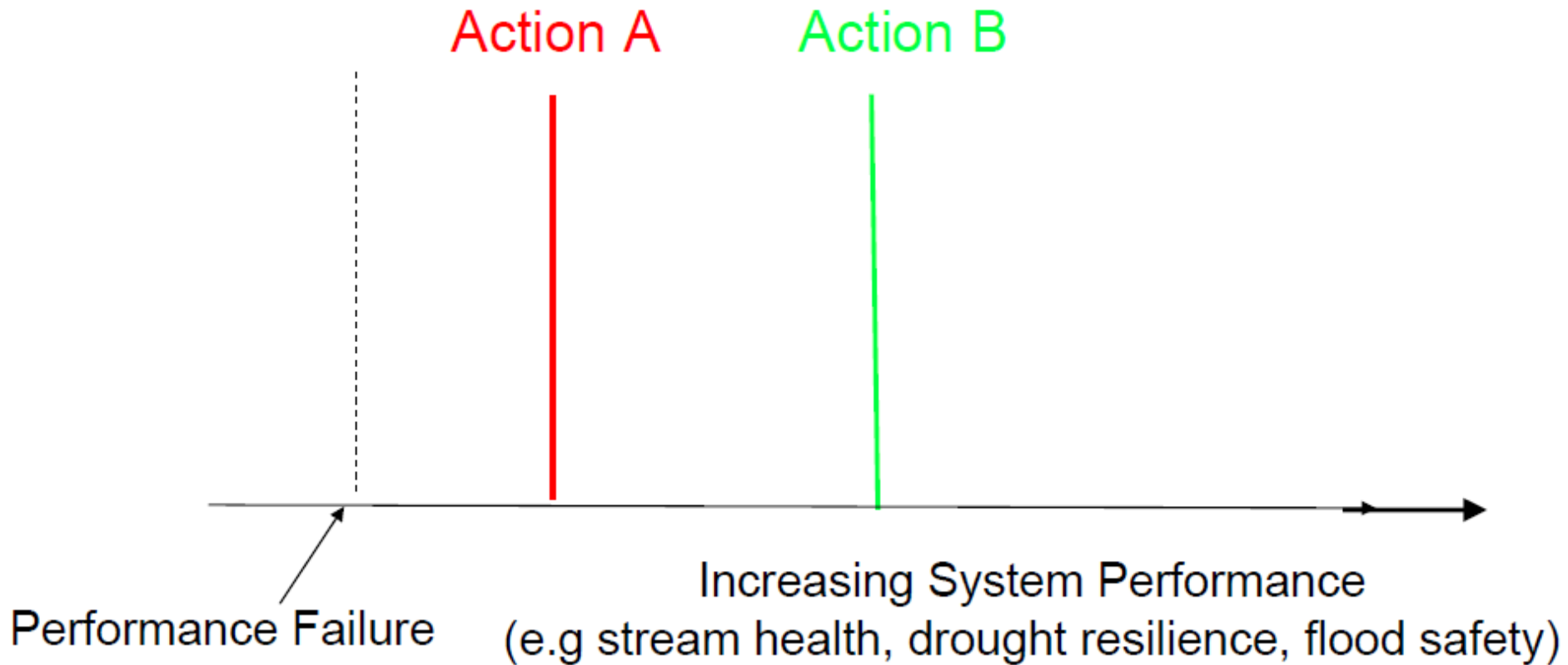


This project has received funding from the European Union's Seventh Framework Programme for research, technological development and demonstration under grant agreement no 607000.

# Uncertainty in decision-making



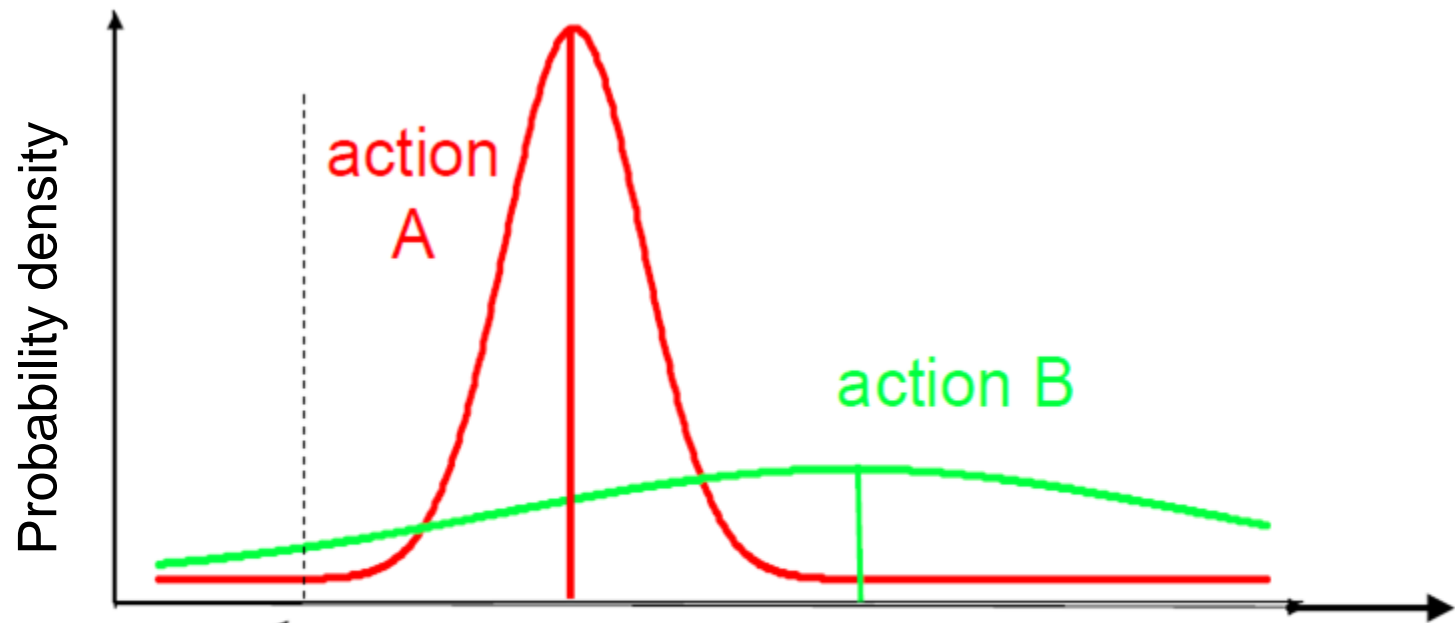
Consequences of **action A** vs **action B**



# Uncertainty in decision-making



Consequences of **action A** vs **action B**



Performance Failure

Increasing System Performance  
(e.g. stream health, drought resilience, flood safety)

# Decision Analysis



- Decisions are mostly taken based on an economic analysis of the alternatives
- Decision analysis provides the link between the economic framework and the technical analyses
- For each alternative, decision analysis considers
  - Costs
  - Benefits
  - Associated Risks

# Example: Decision Making in Engineering design



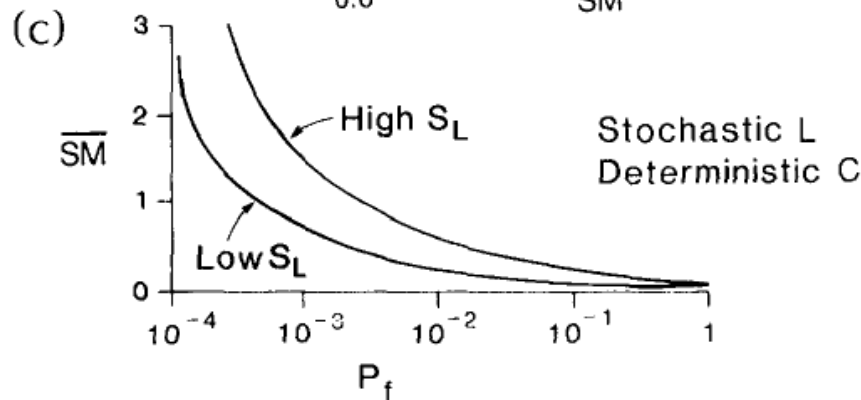
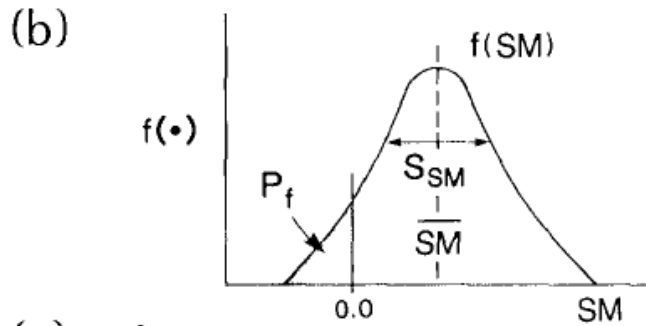
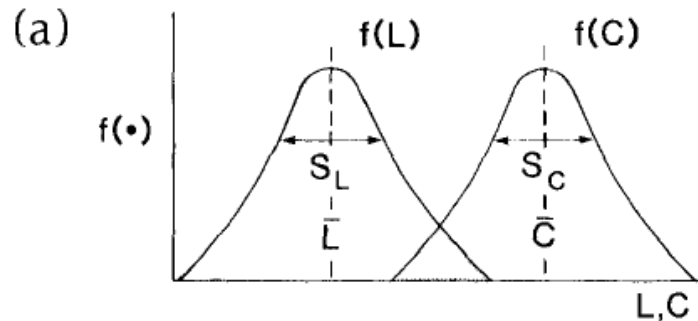
- **Deterministic Safety factor approach**

$$F = \frac{\textit{Capacity } C}{\textit{Load } L}$$

- **Stochastic Risk-balancing approach**

- C & L are represented as Probability density functions.
- Safety Margin  $SM = C - L$
- Probability of failure  $P_f = \text{Probability that } L \text{ exceeds } C$
- $P_f = \text{Probability that } SM < 0$

# Example: Decision Making in Engineering design



Assuming L and C are normally distributed and independent

-> SM is also normally distributed

with Mean  $\overline{SM} = \overline{C} - \overline{L}$  and Standard Deviation

$$S_{SM} = \sqrt{S_C^2 + S_L^2}$$

# Example: Decision Making in Engineering design



Owner's/Operator's Perspective

- Technical objective = satisfying regulatory standard
- Economic objective = meet the technical objective with minimum possible loss.

Objective function can be defined as

$$\phi_j = \sum_{t=0}^T \left( \frac{1}{(1+i)^t} [B_j(t) - C_j(t) - R_j(t)] \right)$$

Where,

$\phi_j$  = objective function for alternative j [\$];  $B_j(t)$  = benefits of alternative j in year t [\$];

$C_j(t)$  = costs of alternative j in year t [\$];  $R_j(t)$  = risks of alternative j in year t [\$];

$T$  = time horizon [years]; and  $i$  = discount rate [decimal fraction].

$R(t)$  can be defined as the expected costs associated with probability of failure:

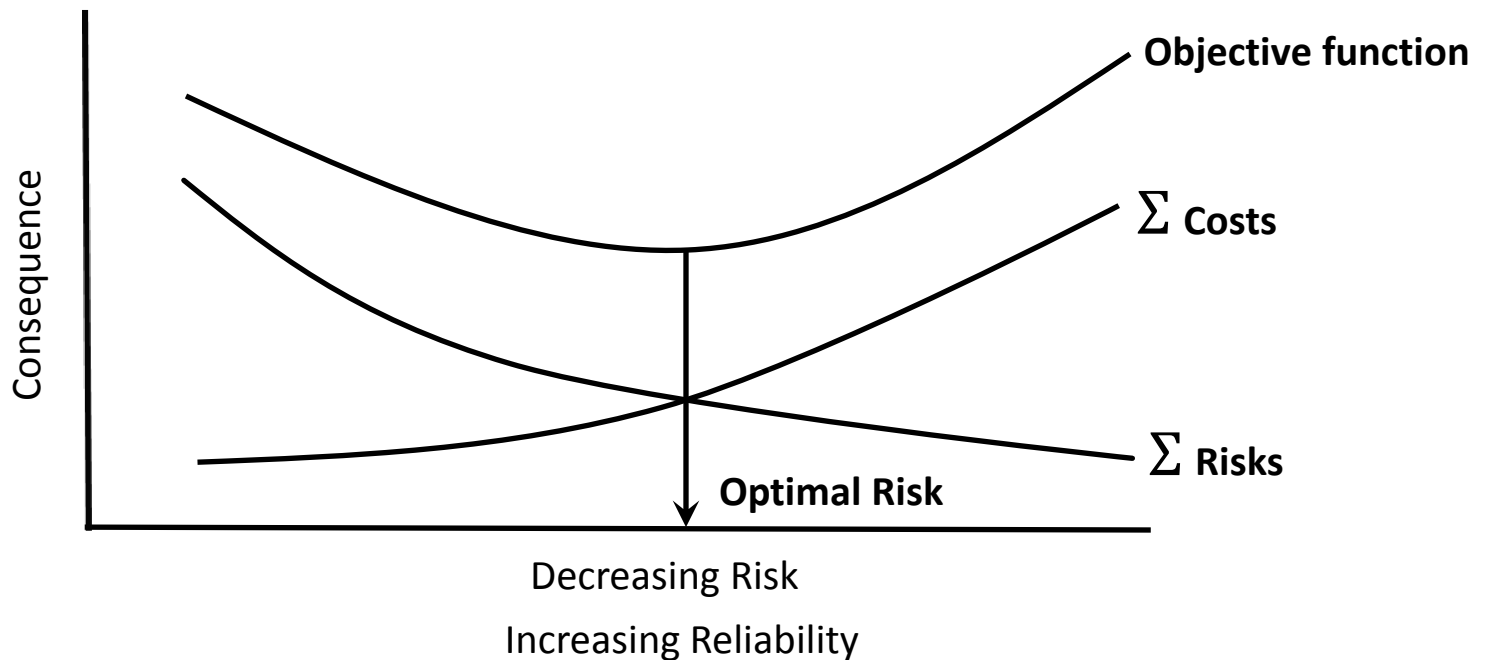
$$R(t) = P_f(t)C_f(t) \gamma(C_f)$$

Where,  $\gamma(C_f)$  = normalized utility function and  $\geq 1$  for risk-averse decision makers.

# Objective function



Optimal Risk

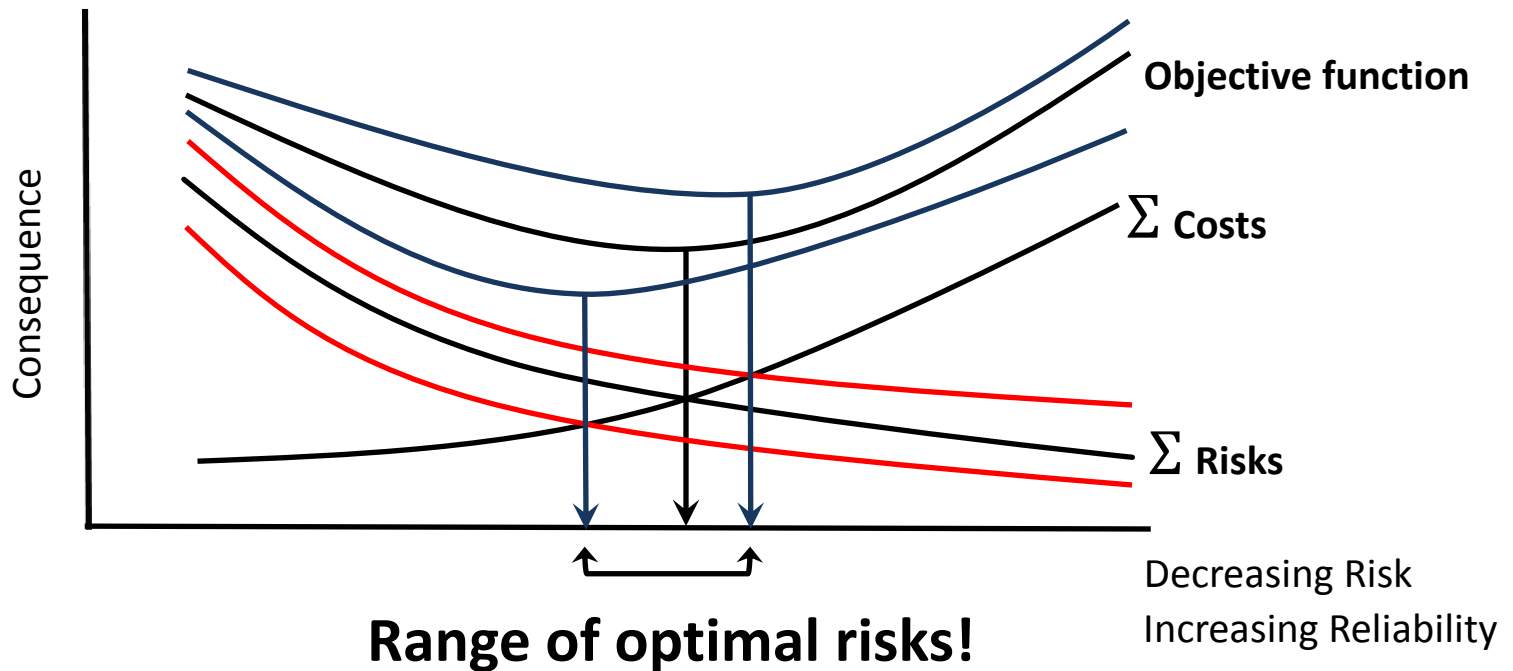


Acceptable Risk

- Set by regulatory bodies



# Optimal Selection



$R$  = The expected costs associated with probability of failure

$$R(t) = P_f(t)C_f(t)\gamma(C_f)$$

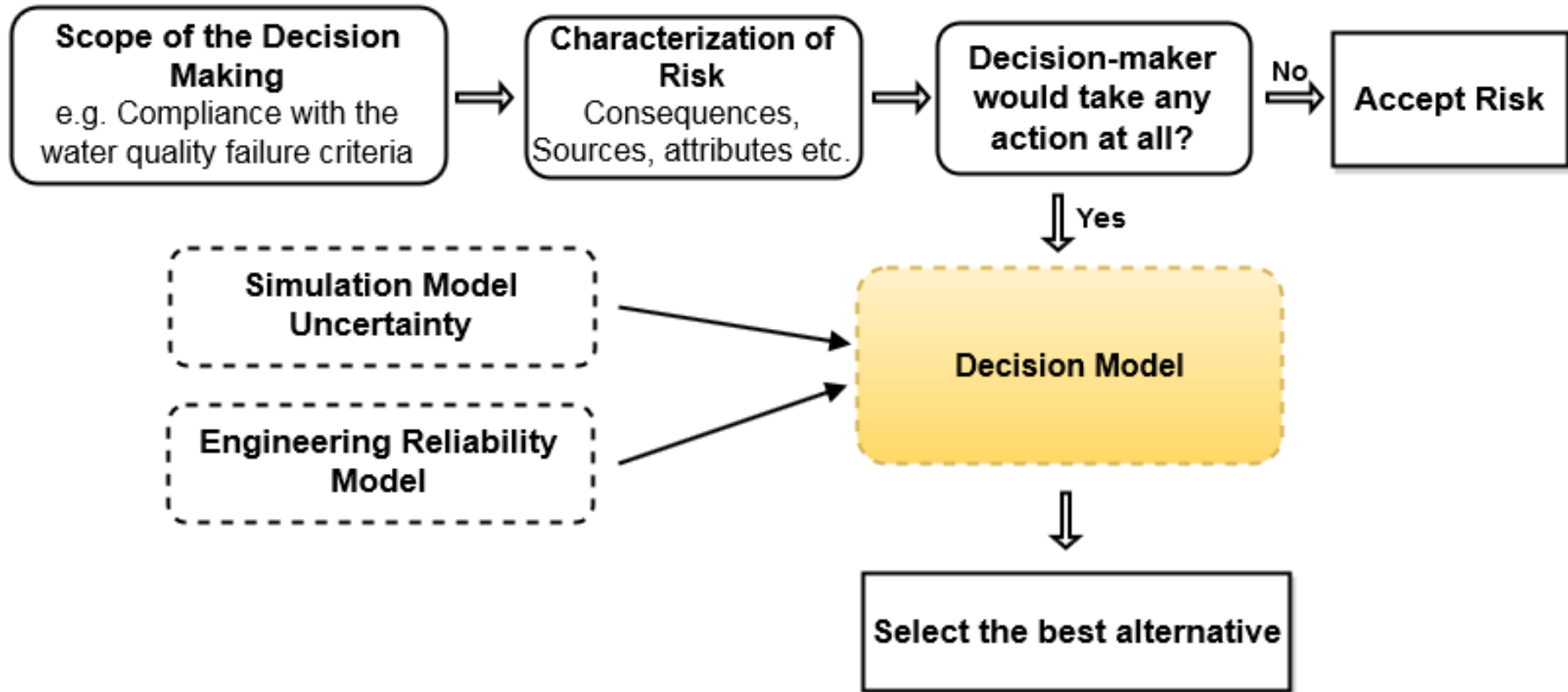
# Uncertainty analysis frameworks linked to asset management decisions in integrated catchment modelling



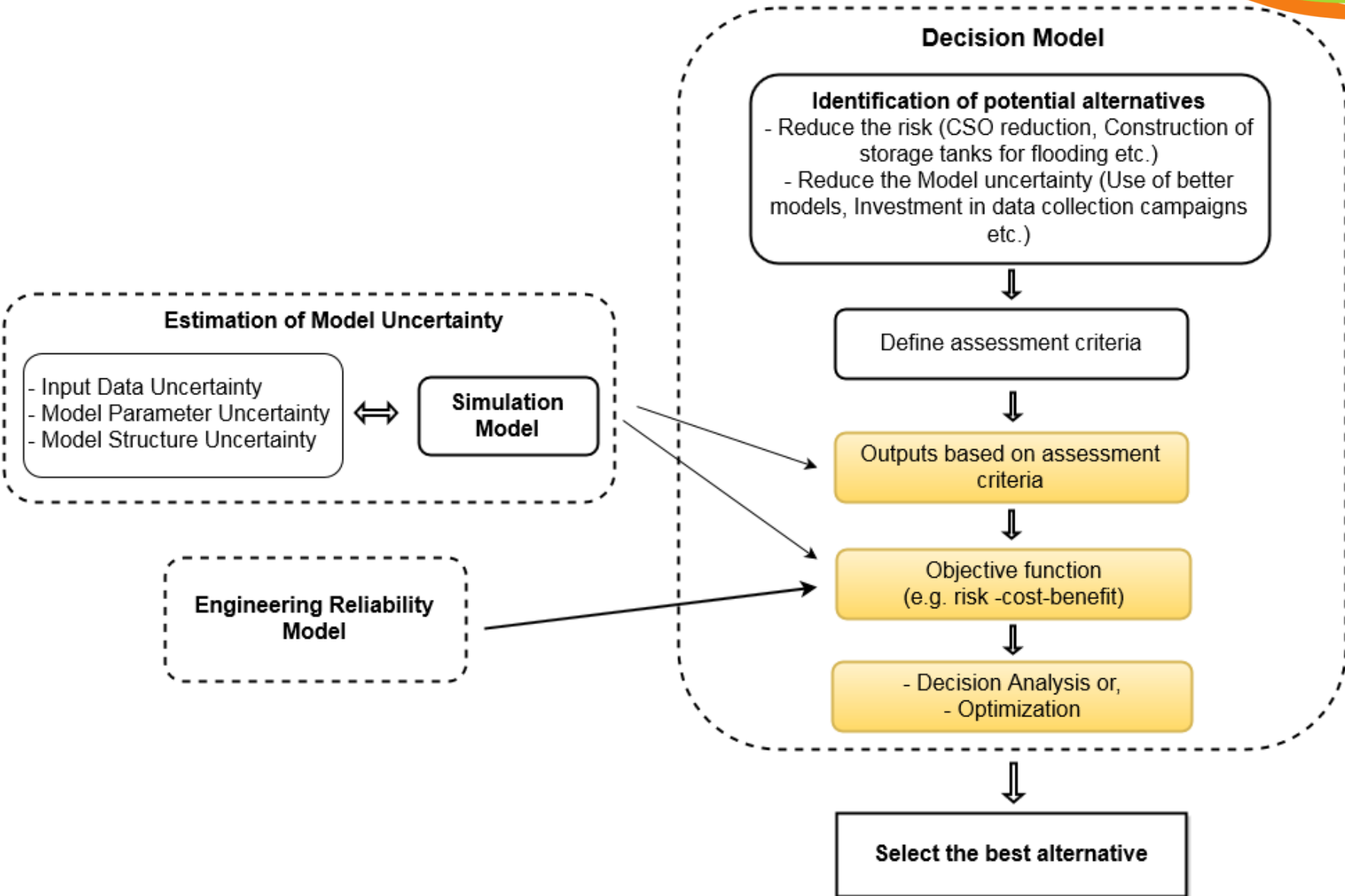
## **Objectives:**

- Develop advice for end-users on the feasibility of application of uncertainty analysis frameworks and methods
- Develop a framework for decision making under uncertainty and provide suitable methodologies to compare different decision alternatives within the context of water quality failure
- Develop computational tools to assess the benefits and cost-saving potential of routinely carrying out uncertainty analysis

# Decision Framework



# Decision Framework



# Key Research Questions



- 1.** How to represent the Risk of failure for each alternative by including Model Uncertainty?
- 2.** How to define the appropriate objective function reflecting the uncertainty?
- 3.** Which method to choose for decision analysis?